Name/PID: \_\_\_\_\_

COMP520: Written Assignment 1

Q1. Nullable, Starters, Followers. Determine the Nullable and the Starter/Follower sets for the grammar non-terminals.

S ::= A B c

 $A::=a\;B\mid \pmb{\epsilon}$ 

 $\mathbf{B} ::= \mathbf{b} \mid \mathbf{\epsilon}$ 

Non-terminals= {S,A,B}

Terminals= {**a**,**b**,**c**}

Q2. Prediction Sets. Identify the choice points (if any). Next, determine the Predict sets.

S ::= A B c $A ::= a B | \varepsilon$  $B ::= b | \varepsilon$ 

Non-terminals=  $\{S,A,B\}$ 

Terminals= {**a**,**b**,**c**}

Q3. LL(1) Condition. Is this Grammar LL(1)? Why or why not?

S ::= A B c $A ::= a B \varepsilon$  $B ::= b | \varepsilon$ 

NT=  $\{S,A,B\}$ 

 $T= \{a,b,c\}$ 

Q4. **Nullable, Starters, Followers.** Determine the Nullable and the Starter/Follower sets for the grammar non-terminals.

S ::= A c

 $\mathbf{A} ::= \mathbf{a} \mathbf{A}^* \mathbf{b} \mid \mathbf{b}$ 

 $\text{NT}{=}\left\{\text{S},\text{A}\right\}$ 

 $T= \{a,b,c\}$ 

Q5. Prediction Sets. Identify the choice points (if any). Next, determine the Predict sets.

S ::= A c $A ::= a A^* b | b$ 

 $NT = \{S, A\}$  $T = \{a, b, c\}$ 

Q6. LL(1) condition. Is this grammar LL(1)? Why or why not?

S ::= A c $A ::= a A^* b | b$ 

 $NT = \{S, A\}$  $T = \{a, b, c\}$ 

Q7. **Rewrite Rules, Recursion.** Rewrite the CFG to an equivalent CFG where no non-terminal rule contains itself. You will need to add NT rules.

Consider the grammar G<sub>0</sub>:

S ::= A \$ A ::= (A) A ::= A + A A ::= num NT=  $\{S,A\}$ 

T= { (, ), num, +, \$ } num= digit(digit)\*

digit= 0,1,2,3,4,5,6,7,8,9

## Q8. Checking input. For each $w_i$ , is $w_i \in L(G_0)$ ?

$$w_{0} = (()) \$$$
  

$$w_{1} = (((3) + (5))) \$$$
  

$$w_{2} = \$$$
  

$$w_{3} = () \$$$
  

$$w_{4} = 1 \$$$